Ms. Kresovic

Date

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Basic Concepts and Proofs – Chapter 2 – ASN

AMDG

Ch. Sec	Axiom
Ch. Sec 2.1 Definition (D)	Axiom Lines, rays, or segments that intersect at right angles are(⊥).
2.2 D	are two angles whose sum is 90° (or a right angle).
	Each of the two angles is call the of the other.
D	are two angles whose sum is 180° (or a straight angle). Each of the two angles is call the of the other.

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If angles are supplementary to the same angle, then they are congruent.	
Given: $\angle 3$ is supp. to $\angle 4$. $\angle 5$ is supp. to $\angle 4$. Prove: $\angle 3 \cong \angle 5$	
Statements	Reasons
$_1$. $\angle 3$ is supp. to $\angle 4$	1.
$_{2.} m \angle 3 + m \angle 4 = 180$	2.
$_{3.} m \angle 3 = 180 - m \angle 4$	3.
4. ∠5 is supp. to ∠4.	4.
$_{5.} m \angle 5 + m \angle 4 = 180$	5.
_{6.} m∠5 = 180 − m∠4	6.
$_{7.} \angle 3 \cong \angle 5$	7.
Given: $\angle F$ is supp. to $\angle G$. $\angle H$ is supp. to $\angle J$. $\angle G \cong \angle J$ Conclusion: $\angle F \cong \angle H$	→ F H →
Statements	Reasons
1. ∠F is supp. to ∠G	1.
2.	2.
3.	3.
4. ∠H is supp. to ∠J	4.
5.	5.
6.	6.
$_{7.} \angle G \cong \angle J$	7.
$_{8.} \angle F \cong \angle H$	8.
	If angles are supplementary to the same angle, the Given: $\angle 3$ is supp. to $\angle 4$. $\angle 5$ is supp. to $\angle 4$. Prove: $\angle 3 \cong \angle 5$ Statements 1. $\angle 3$ is supp. to $\angle 4$ 2. $m\angle 3 + m\angle 4 = 180$ 3. $m\angle 3 = 180 - m\angle 4$ 4. $\angle 5$ is supp. to $\angle 4$ 5. $m\angle 5 + m\angle 4 = 180$ 6. $m\angle 5 = 180 - m\angle 4$ 7. $\angle 3 \cong \angle 5$ If angles are supplementary to congruent angles Given: $\angle F$ is supp. to $\angle G$. $\angle H$ is supp. to $\angle J$. $\angle G \cong \angle J$ Conclusion: $\angle F \cong \angle H$ G Statements 1. $\angle F$ is supp. to $\angle G$ 2. 3. 4. $\angle H$ is supp. to $\angle J$ 5. 6. 7. $\angle G \cong \angle J$ 8. $\angle F \cong \angle H$

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Т	If angles are complementary to the same angle, then they are congruent.		
	Given: $\angle 3 \operatorname{comp} \angle 4$ $\angle 5 \operatorname{comp} \angle 4$ Prove: $\angle 3 \cong \angle 5$	3 4 5	
	Statements	Reasons	
	1. ∠3 comp ∠4		
	$2. \text{ m} \angle 3 + \text{m} \angle 4 =$		
	3.		
	4. ∠5 comp ∠4		
	5. m∠5 + m∠4 =		
	6.		
	$_{7.} \angle 3 \cong \angle 5$		
Т	If angles are complementary to congruent angles	s, then they are congruent.	
	Given: $\angle F \operatorname{comp} \angle G$ $\angle H \operatorname{comp} \angle J$ $\angle G \cong \angle J$ Prove: $\angle F \cong \angle H$		
	Statements	Reasons	
	1. $\angle F \operatorname{comp} \angle G$	1.	
	2. $\angle F + \angle G =$	2.	
	3. ∠F =	3.	
	4. ∠H comp ∠J	4.	
	5. ∠H + ∠J =	5.	
	6. ∠H =	6.	
	7. $\angle G \cong \angle J$	7.	
	8. $\angle F \cong \angle H$	8.	

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2.5 T	If a segment is added to two congruent segments	, the sums are congruent. (Addition Property)
	Given: ∞∞∞ ≅ ∞∞∞∞ Conclusion: ∞∞∞∞ ≅ ∞∞∞∞	Q R T
	Statements	Reasons
	1. ® ™ത≊ തത്തത	1.
	2. PQ = RT	
	$3.$ Welton \cong Welton on	
	4. $QR = QR$	
	5. $PR = QT$	
	6. @෩ത≅	
Т	$E \xrightarrow{f_{0}} H \xrightarrow{f_{0}} G Prove; \angle EFH \cong \angle If an angle is added (Addition Property)$ Given: $\angle EFJ \cong \angle If an angle is added (Addition Property)$	d to 2 congruent angles, the sums are congruent. y) HFG (JFG
	Statements	Reasons
	1. $\angle EFJ \cong \angle HFG$	1.
	2. $m \angle EFJ = m \angle HFG$	
	3. $\angle HFJ \cong \angle JFH$	
	4. $m \angle HFJ = m \angle JFH$	
	5. m \angle EFH = m \angle JFG	
	$6. \angle \text{EFH} \cong \angle \text{JFG}$	

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Т	If congruent segments are added to congruent segments, the sums are congruent. (A	ddition
	Property)	
	P	
Т	If congruent angles are added to congruent angles, the sums are congruent. (Additio	n Property)
		1 55
	D Y W	
	w Z	

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Т	If a segment (or angle) is subtracted from congruent segments (or angles), the difference of the segment (Subtraction Property)	rences are
Τ	If congruent segments (or angles) are subtracted from congruent segments (or angle differences are congruent. (Subtraction Property)	es), the

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		×
2.6 T	If segments (or angles) are congruent, their like multiples are congruent. (Multiplic Property)	ation
Т	If segments (or angles) are congruent, their like divisions are congruent. (Division P	roperty)

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2.7 T	If angles (or segments) are congruent to the same angle (or segment) then they are congruent to each other. (Transitive Property)
Τ	If angles (or segments) are congruent to congruent angles (or segments) then they are congruent to each other. (Transitive Property)
	Substitution or Transitive? In algebra: If $a = b$ and $b = c$, then $a = c$, right? That's transitivity. And if $a = b$ and $b < c$, then $a < c$. That's substitution. In Geometric Proof: If $\angle A \cong \angle B$ and $\angle B \cong \angle C$ then $\angle A \cong \angle C$, right? That's transitivity. (Everything's \cong) And if $\angle A \cong \angle B$ and $\angle A = 50^{\circ}$ then $\angle B = 50^{\circ}$. That's substitution. (Not <u>every</u> thing's \cong)

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2.8 D	Two collinear rays that have a common endpoint and extend in different directions are called	
D		
	Two angles are the rays forming the sides of the other are oppos	if the rays forming the sides of one and ite rays.
Τ	Vertical angles are congruent.Given: Diagram as shown Prove: $\angle 5 \cong \angle 7$ Statements1. $\angle 5$ supp $\angle 6$ 2. $\angle 7$ supp $\angle 6$ 3. $\angle 5 \cong \angle 7$	Reasons