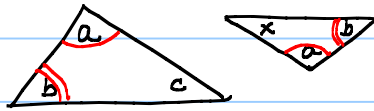


**Congruent**  $\triangle$   
 $\cong$  sides,  $\cong$  m  $\angle$ s

**Similar**  $\triangle$   
 sides proportional  
 $\cong$  m  $\angle$ s

- SSS
- SAS
- ASA
- HL
- AAS

8.3

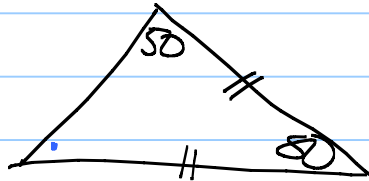


$a + b + c = 180$

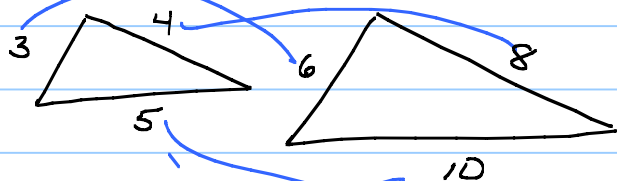
$a + b + x = 180$

$a + b + c = a + b + x$   
 $-a - b \quad -a - b$

$c = x$  NoChoice

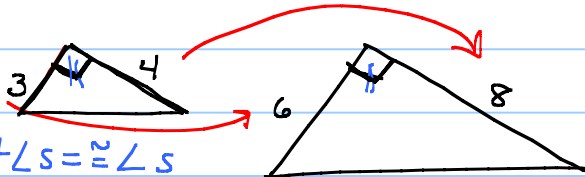


AA~



$\frac{3}{6} = \frac{4}{8} = \frac{5}{10}$

SSS~

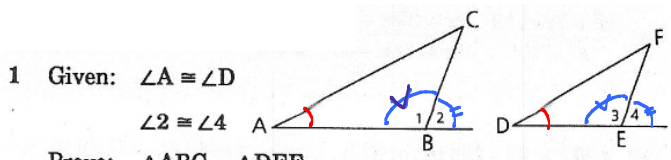


$\text{right } \angle s = \cong \angle s$

$\frac{3}{6} = \frac{4}{8}$

SAS~

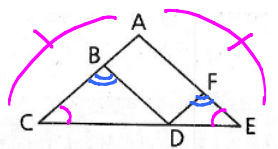
New:  
 AA~  
 SSS~  
 SAS~



1 Given:  $\angle A \cong \angle D$   
 $\angle 2 \cong \angle 4$   
 Prove:  $\triangle ABC \sim \triangle DEF$   
 1  $\angle A \cong \angle D, \angle 2 \cong \angle 4$   
 2  $\angle 1$  supp  $\angle 2$   
 $\angle 3$  supp  $\angle 4$   
 3  $\angle 1 \cong \angle 3$   
 4  $\triangle ABC \sim \triangle DEF$

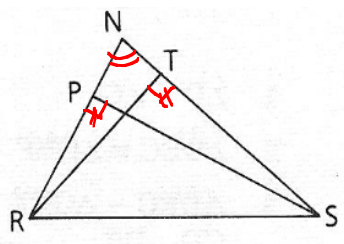
1 Given  
 2  $st\angle \Rightarrow supp\angle s$   
 3  $\angle s$  supp to  $\cong \angle s \Rightarrow \cong \angle s$   
 4  $AA \sim$

4 Given:  $\overline{AC} \cong \overline{AE}$   
 $\angle CBD \cong \angle FED$   
 Prove:  $\triangle BCD \sim \triangle FED$   
 1  $\overline{AC} \cong \overline{AE}$   
 2  $\angle C \cong \angle E$   
 3  $\angle CBD \cong \angle FED$   
 4  $\triangle BCD \sim \triangle FED$



1 Given  
 2  $\angle C \cong \angle E$   
 3 Given  
 4  $AA \sim$

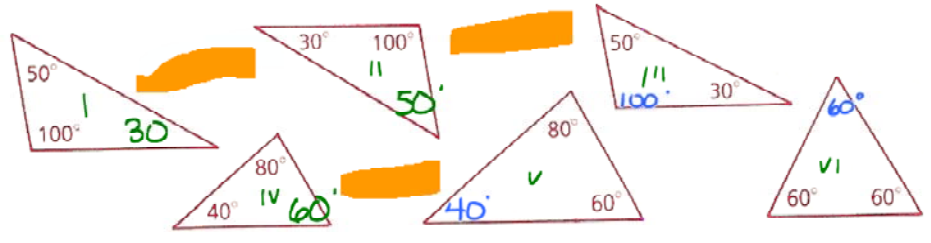
12 Given:  $\overline{SP}$  alt from S to  $\overline{NR}$   
 $\overline{RT}$  alt from R to  $\overline{NS}$



Concl:  $\triangle NRT \sim \triangle NSP$   
 1  $\overline{SP}$  alt from S to  $\overline{NR}$   
 2  $\overline{RT}$  alt from R to  $\overline{NS}$   
 3  $\overline{RT} \perp \overline{NS}$   
 4  $\overline{SP} \perp \overline{NR}$   
 5  $\angle RTN$  rt  $\angle$   
 6  $\angle SPN$  rt  $\angle$   
 7  $\angle RTN \cong \angle SPN$   
 8  $\angle N \cong \angle N$   
 9  $\triangle NRT \sim \triangle NSP$

1 Given  
 2 Given  
 3  $alt \Rightarrow \perp$  (2)  
 4  $alt \Rightarrow \perp$  (1)  
 5  $\perp \Rightarrow rt\angle$  (3)  
 6  $\perp \Rightarrow rt\angle$  (4)  
 7  $rt\angle s \Rightarrow \cong \angle$  (5,6)  
 8 Reflexive  
 9  $AA \sim$

22 If two of the six triangles below are selected at random, what is the probability that the two triangles are similar?



I II	II, III	III IV	IV V	V VI
I III	II IV	III V	IV VI	
I IV	II V	III VI		
I V	II VI			
I VI				

$$\frac{4}{15}$$

$$\frac{1+2+3+\dots+97+98+99}{49 \cdot 100}$$

# 8.3: Proving Triangles Similar

2, 3, 6, 8, 10, 16, 19, 20

Note Title

1/20/2016

22 See above

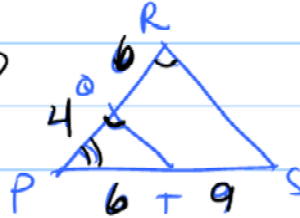
20. a) Slope  $\frac{\Delta y}{\Delta x} = -\frac{1}{2}$

b)  $-\frac{1}{2} = \frac{y}{+3}$  *mean extremely product*  $2y = (-1)(3)$   
 $y = -\frac{3}{2}$   
 $\hookrightarrow$  decreases by  $\frac{3}{2}$

19 a)  $\Delta PQT \sim \Delta PRS$ ?

$\angle P \cong \angle P$  (ref)

SAS  $\sim$



$\frac{PQ}{PT} = \frac{PR}{PS} \rightarrow \frac{4}{6} = \frac{10}{15}$

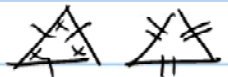
$\frac{2}{3} = \frac{2}{3}$  yes  
prop sds

b) corr angles congruent  $\Rightarrow \parallel \therefore QT \parallel RS$

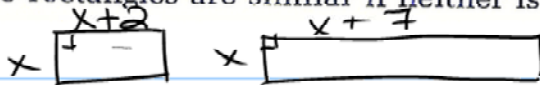
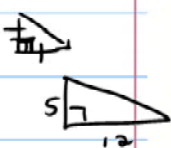
**Study**

16 Indicate whether the statement is true Always, Sometimes, or Never (A, S, or N).

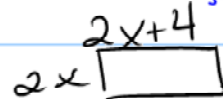
- a) If two triangles are similar, then they are congruent. a) S
- b) If two triangles are congruent, then they are similar. b) A
- c) An obtuse triangle is similar to an acute triangle. c) N
- d) Two right triangles are similar. d) need 2 angles, S
- e) Two equilateral polygons are similar. e) congruent sides  $\Rightarrow$  S (eg rhombus and square, angles not  $\cong$ )
- f) Two equilateral triangles are similar. f) A
- g) Two rectangles are similar if neither is a square. g) S



$3x = 180$   
 $x = 60$



$\frac{x}{x+2} \stackrel{?}{=} \frac{x}{x+7}$  False



$\frac{x}{x+2} = \frac{2x}{2x+4}$  TRUE

8.4. Corresponding sides of similar triangles are proportional

PROOFS : Always copy set up  
 ( diagram  
 Given + PROVE STMTS )

PRIVILEGE KNOWLEDGE:

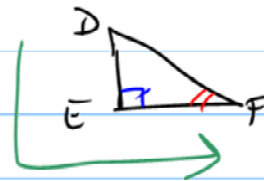
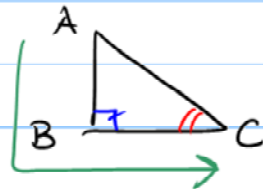
$\cong \triangle \Rightarrow CPCTC$

new :  $\sim \triangle \Rightarrow$  corr sds proportional  
 $\sim \triangle \Rightarrow$  corr  $\angle$ s  $\cong$

1. G:  $\angle C \cong \angle F$

$\overline{AB} \perp \overline{BC}$

$\overline{DE} \perp \overline{EF}$



P:  $\frac{AB}{BC} = \frac{DE}{EF}$

POINT OUT:  
 $\overleftrightarrow{DE}$  (line)  
 $\overline{DE}$  (seg)  
 DE (distance)

S.

R.

1.  $\overline{AB} \perp \overline{BC}$  &  $\overline{DE} \perp \overline{EF}$

1. GIVEN

2.  $\angle ABC$  &  $\angle DEF$  RTLS

2.  $\perp \Rightarrow$  RTLS

A 3.  $\angle ABC \cong \angle DEF$

3. RTLS  $\Rightarrow$   $\cong$   $\angle$ s

A 4.  $\angle C \cong \angle F$

4. GIVEN

5.  $\triangle ABC \sim \triangle DEF$

5. AA  $\sim$  (3,4)

6.  $\frac{AB}{BC} = \frac{DE}{EF}$

6.  $\sim \triangle \Rightarrow$  corr sds prop

\* ORDER MATTERS