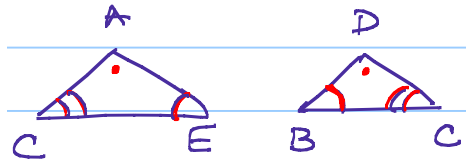
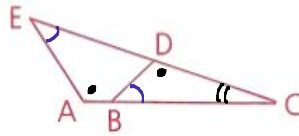


Problem Set A

1 Given: $\angle DBC \cong \angle E$
Conclusion: $\angle A \cong \angle BDC$



S

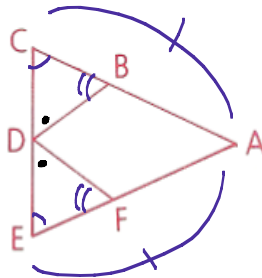
R

1. $\angle DBC \cong \angle E$
2. $\angle C \cong \angle C$
3. $\angle A \cong \angle BDC$

1. GIVEN
2. REF
3. No CHOICE

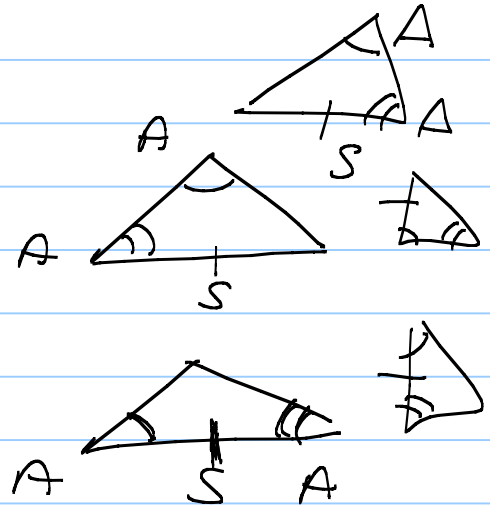
→ If 2 \angle s in 1 Δ are \cong to 2 \angle s in another Δ then the 3rd \angle s are \cong

3 Given: $\overline{AC} \cong \overline{AE}$,
 $\angle CBD \cong \angle EFD$
Prove: $\angle BDC \cong \angle FDE$



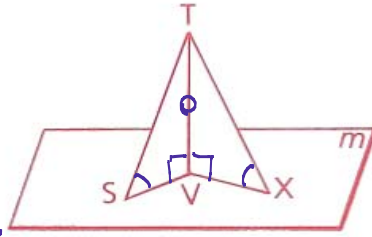
1. $\overline{AC} \cong \overline{AE}$
2. $\angle C \cong \angle E$
3. $\angle CBD \cong \angle EFD$
4. $\angle BDC \cong \angle FDE$

1. GIVEN
2. $\sphericalangle \Rightarrow \Delta$
3. GIVEN
4. No Choice



- 5 Given: \overline{SV} lies in plane m .
 \overline{VX} lies in plane m .
 $\angle S \cong \angle X$,
 $\overleftrightarrow{TV} \perp$ plane m

Prove: $\overline{TS} \cong \overline{TX}$



1. \overline{SV} & \overline{VX} lie in m 1. Given
 $\overleftrightarrow{TV} \perp m$

2. $\overline{TV} \perp \overline{SV}$ & \overline{VX} 2. If a line \perp to a pln then it's \perp to all lines in that pln that pass through its foot.
 3. $\angle TVS$ & $\angle TVX$ rt \angle s 3. $\perp \Rightarrow$ rt \angle

A 4. $\angle TVS \cong \angle TVX$ 4. rt \angle s \cong \angle s

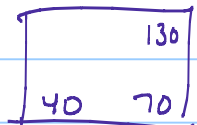
A 5. $\angle S \cong \angle X$ 5. Given

S 6. $\overline{TV} \cong \overline{TV}$ 6. Ref

7. $\triangle TVS \cong \triangle TVX$ 7. AAS (4, 5, 6)

8. $\overline{TS} \cong \overline{TX}$ 8. CPCTC

- 6 The measures of three of the angles of a quadrilateral are 40, 70, and 130. What is the measure of the fourth angle?



$$360 - 240 = 120^\circ$$

- 7 The measures of the angles of a triangle are in the ratio 1:2:3. Find half the measure of the largest angle.

$$1x + 2x + 3x = 180$$

$$6x = 180$$

$$x = 30$$

$$\frac{1}{2} \text{ largest } \angle = \frac{90^\circ}{2} = 45^\circ$$

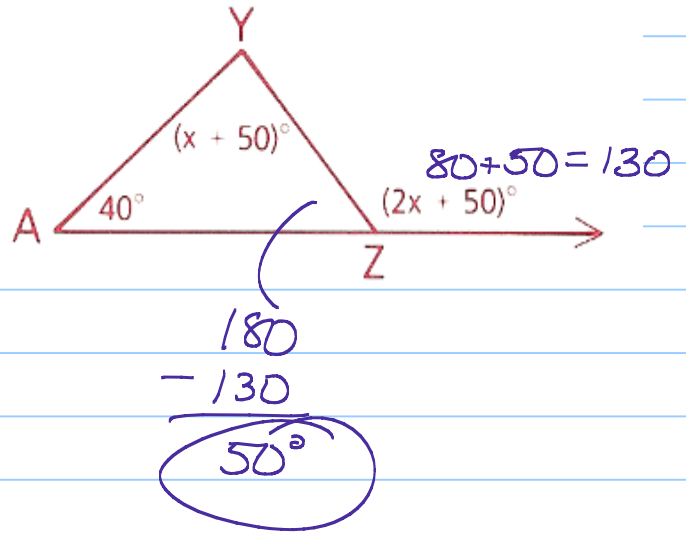
9 Given: Diagram as marked

Find: $m\angle YZA$

Ext \angle = sum remote int \angle s

$$2x + 50 = x + 90$$

$$x = 40^\circ$$



10 Given: C is the midpt. of \overline{BD} .

E is the midpt. of \overline{BF} .

$DF = 12$,

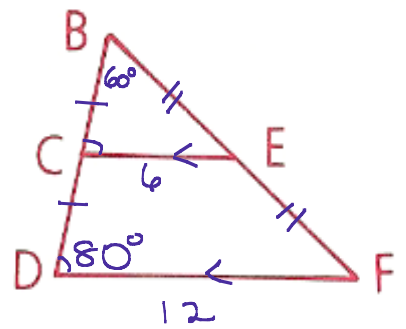
$m\angle D = 80$, $m\angle B = 60$

Find: CE, $m\angle BCE$, and $m\angle BEC$

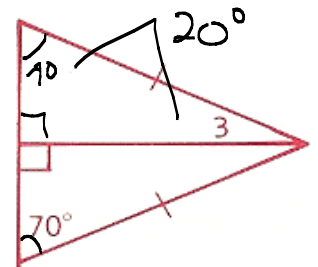
midline
↓
6

midline \Rightarrow \parallel
 $\parallel \Rightarrow$ corr \angle s \cong
↓
 80°

$\rightarrow 180 - (80 + 60) = 40^\circ$
↑
sum of \angle s
in $\triangle = 180$



11 Find $m\angle 3$ in the diagram as marked.



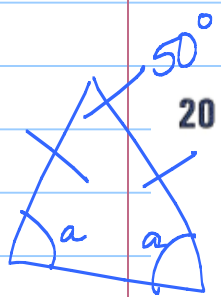
14 The sum of the measures of the angles of a polygon is 1620. Find the number of sides of the polygon.

15 Find the number of diagonals that can be drawn in a pentadecagon. $n=15$

14 $(n-2)180 = 1620$
 $\frac{180}{180} = \frac{1620}{180}$
 $n-2 = 9$
 $n = 11$

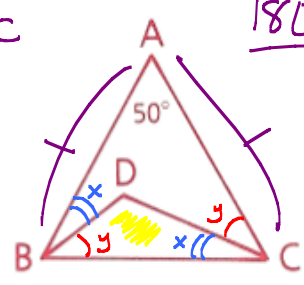
15 $\frac{n(n-3)}{2}$, $n=15 \Rightarrow \frac{15 \cdot 12}{2} \Rightarrow 15 \cdot 6$
 $\begin{matrix} 3 \\ \times 15 \\ \hline 90 \end{matrix}$

 in favor $\Rightarrow 3, 0, 1$



20 Given: $\overline{AB} \cong \overline{AC}$, $\rightarrow \angle B \cong \angle C$
 $\angle DBC \cong \angle DCA$,
 $m\angle A = 50$

Find: $m\angle BDC$



$\frac{180-50}{2} = \frac{130}{2} = 65 = m\angle B$

$x+y=65$
 $\triangle DBC \rightarrow \angle D + x + y = 180$
 $\angle D + 65 = 180$
 $\angle D = 115^\circ$

$2a + 50 = 180$
 $2a = 130$
 $a = 65^\circ$

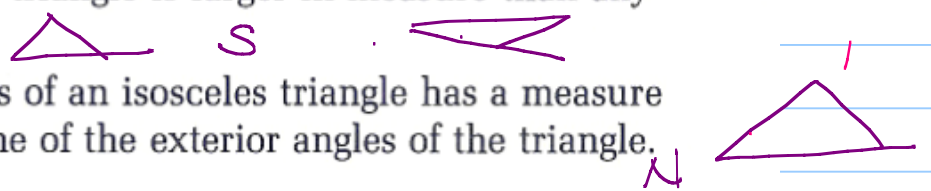
21 Tell whether each statement is true Always, Sometimes, or Never (A, S, or N).

a An equiangular triangle is isosceles. **A**

b The number of diagonals in a polygon is the same as the number of sides. **S**
T: $n=5$
 F: any other

c An exterior angle of a triangle is larger in measure than any angle of a triangle. **S**

d One of the base angles of an isosceles triangle has a measure greater than that of one of the exterior angles of the triangle. **N**



28 In a drawer there is a regular triangle^{60°}, a regular quadrilateral^{90°}, a regular pentagon^{108°}, and a regular hexagon^{120°}. The drawer is opened, and an angle from one of the polygons is selected at random. What is the probability that the measure of the angle is an integral multiple of 30?

- 3 60, 60, 60
- 4 90, 90, 90, 90
- 5 108, 108, 108, 108, 108 ← NOT mult 30
- 6 120, 120, 120, 120, 120, 120

$$\frac{18-5}{18} = \boxed{\frac{13}{18}}$$

$$180 - E$$

$$180 - \frac{360}{n}$$

$$180 - \frac{360}{6} =$$

$$180 - 60 = 120^\circ$$